

A Backoff Mechanism to Achieve Full Organization?

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Context/Goal

- **Multi-hop** ad hoc networks
- A single channel
- High traffic load (or bursty traffic)

- Decentralized MAC protocols
- Use a **backoff mechanism** to regulate the access to the channel



Metrics

- Spatial reuse (σ): the fraction of network links that carry a successful transmission
- Jain's Fairness Index (FI):

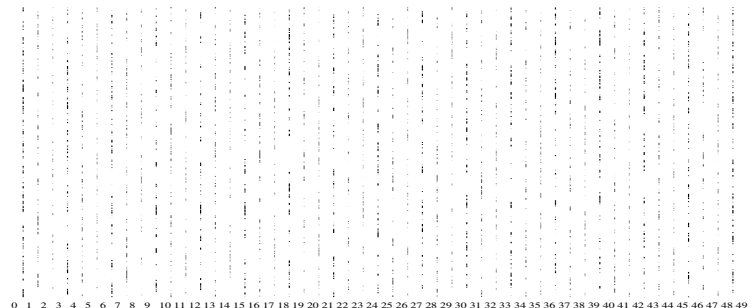
$$FI = \frac{(\sum_i x_i)^2}{n \sum_i x_i^2}$$

where x_i is the number of packets sent on link i and n is the number of links in the network



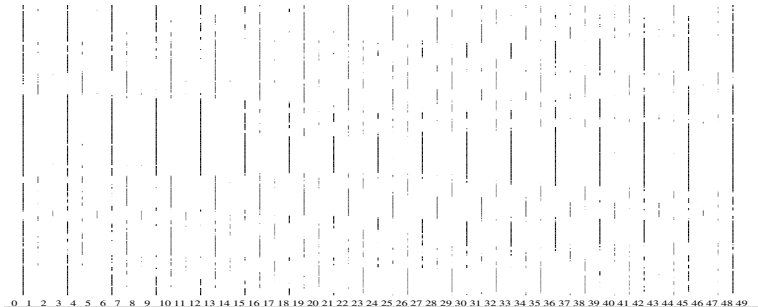
Claim

A backoff mechanism can be used to achieve the desired level of organization in a network



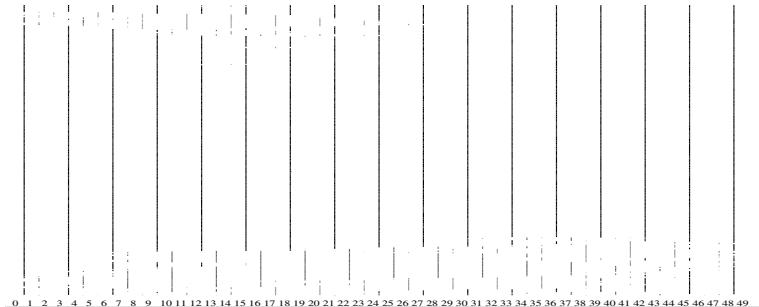
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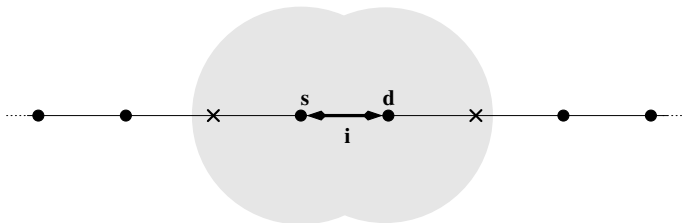
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- 1 Introduction
- 2 In Theory**
 - Assumptions
 - Packing analogy
 - Spatial reuse
 - Fairness
- 3 In Practice
 - IEEE 802.11 MAC protocol
 - Three unwanted situations
 - Closing the gap
- 4 Conclusion



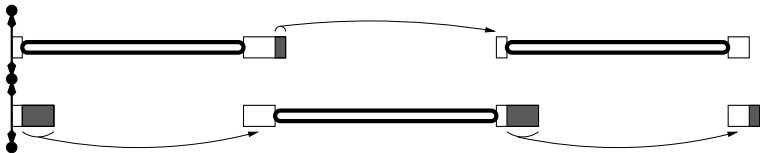
Assumptions



- exclusion domain
- bidirectional exchange
- saturated traffic conditions



MAC protocols under study



- Average exchange time: $1/\mu$
- Average backoff time: $1/\lambda$
- Continuous backoff distribution \rightarrow no collision

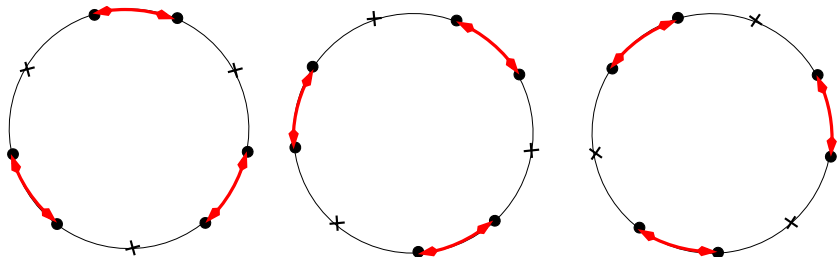
Terminology



- transmission schedule (active and idle links)
- maximal spatial reuse



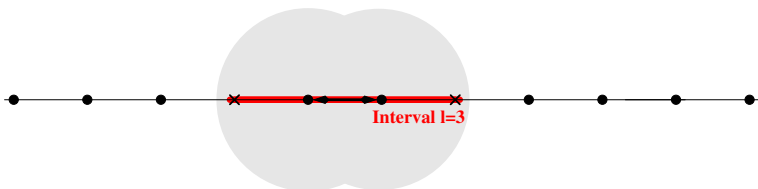
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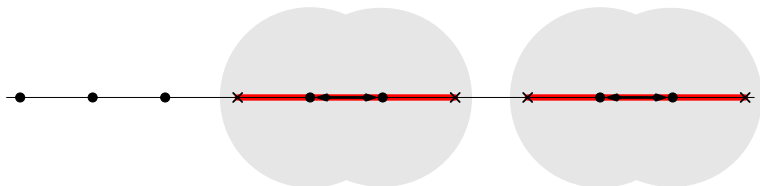
Packing analogy



- To each active link we associate an interval of length l on the line
- A transmission schedule is a set of non-overlapping intervals



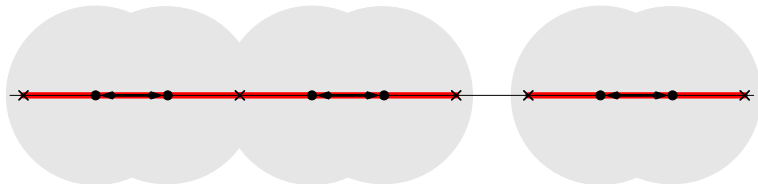
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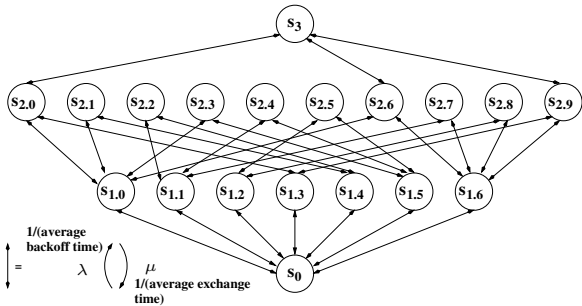
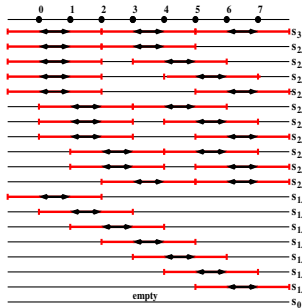
Packing analogy



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Markov chain representation



Markov chain equations

- The stationary probability of a *specific* transmission schedule with j active links is

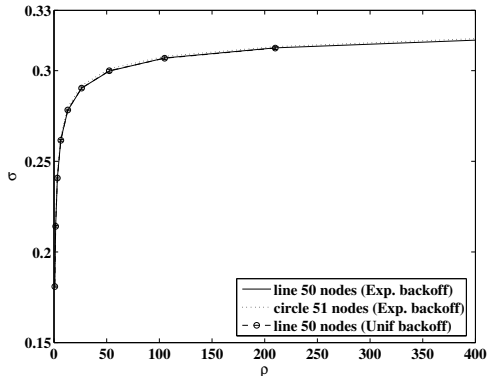
$$\pi(j) = \frac{\rho^j}{\sum_k N(k)\rho^k}$$

where $\rho = \frac{\lambda}{\mu}$ and $N(k)$ is the number of transmission schedules with k active links

- Organizing properties:
 - When $\rho > 1$, $\pi(j)$ increases with j
 - In the limit $\rho \rightarrow \infty$, only the transmission schedules with the highest number j of active links have a non-trivial probability
- True for all topologies and exchange time distributions
- In general, it is hard to find an exact form for $N(k)$



Spatial reuse



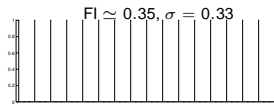
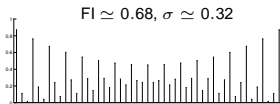
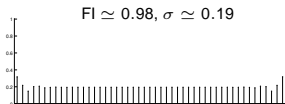
Infinite line network

$$\sigma \sim \frac{\rho y_1^{l-1}}{1 + l \rho y_1^{l-1}}$$

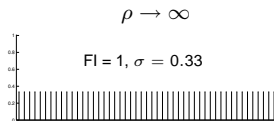
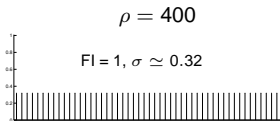
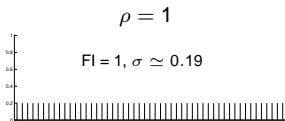
where y_1 is the real root of $1 - y - \rho y^l$ closest to the origin



Long-term fairness



Line topology 50 nodes



Circle topology 51 nodes

Long-term fairness: $FI = \frac{(\sum_i p(i))^2}{n \sum_i p(i)^2}$ where $p(i)$ is the probability that link i is active in the stationary regime



Short-term Fairness (current work)

- At large ρ it becomes hard to switch between schedules of maximal spatial reuse
- the short-term fairness suffers even in topologies that are long-term fair
- e.g.: $\rho = 400$ ($\mu = 1$)

$F_I(t)$	long-term	$t=10^4$	$t=10^3$	$t=10^2$	$t=10$
Line (50 nodes)	0.68	0.64	0.63	0.50	0.38
Circle (51 nodes)	1	0.98	0.87	0.56	0.39

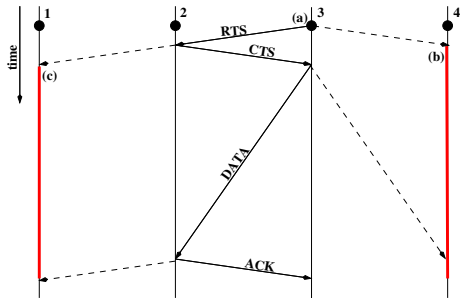


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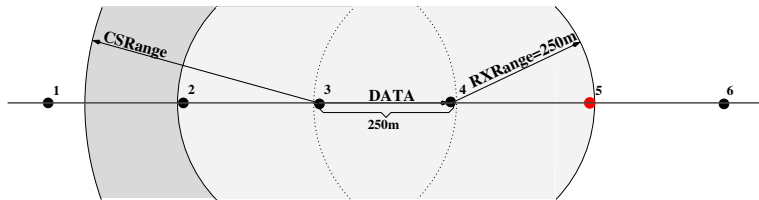


IEEE 802.11 MAC protocol

- Uses a uniform backoff distribution between 0 and $cw \cdot 20\mu s$ where cw is the contention window
- cw is doubled before a retransmission
 ($CW_{min} = 31$, $CW_{max} = 1023$)
- Physical carrier sensing
- Virtual carrier sensing:
 RTS-CTS handshake+NAV



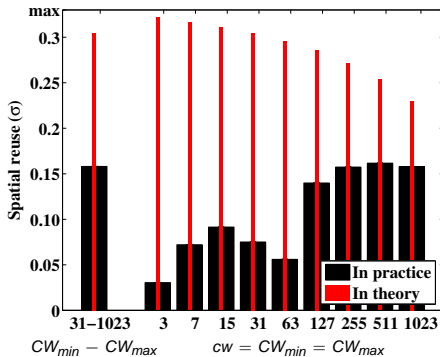
Physical layer



Ns-2 physical layer model ($CSRange \simeq RXRange$)



What prevents 802.11 from operating at the limit determined by its physical layer?



Simulation setup

- Line topology 50 nodes
- Saturated traffic conditions
- 1500 bytes DATA packets (μ is fixed)

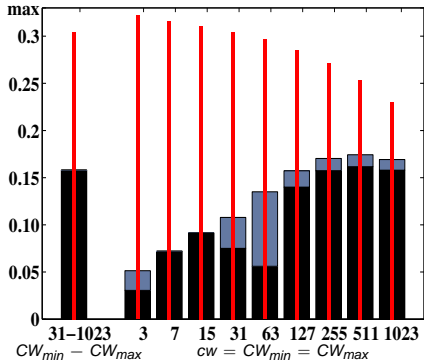
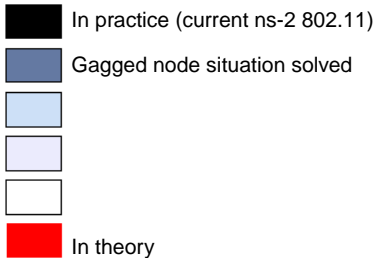


Three unwanted situations

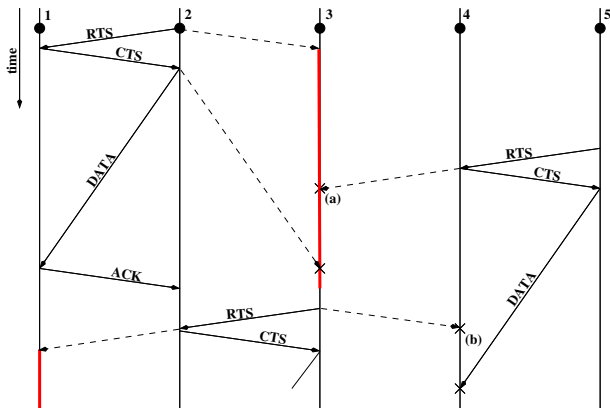
- The gagged node
- The jammed node
- The focused node



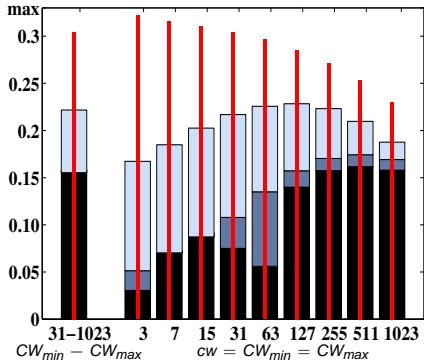
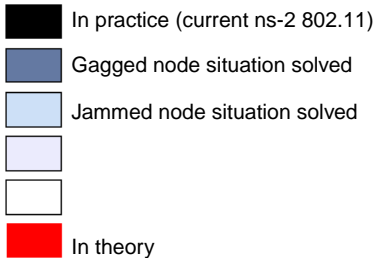
Spatial reuse of 802.11 without gagged nodes



A node is jammed by a DATA packet and cannot extract information in CTS packets sent concurrently

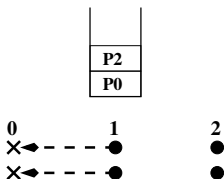


Spatial reuse of 802.11 without jammed nodes

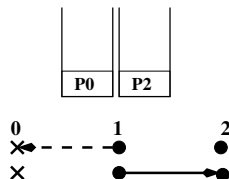


A node focuses its transmission attempts on a single of its neighbors that experiences high contention

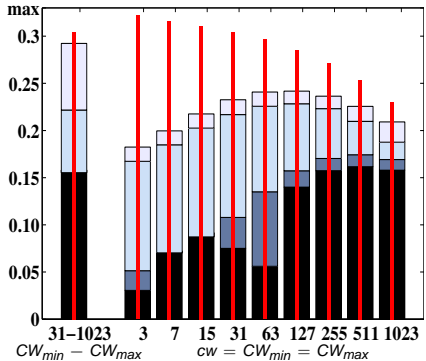
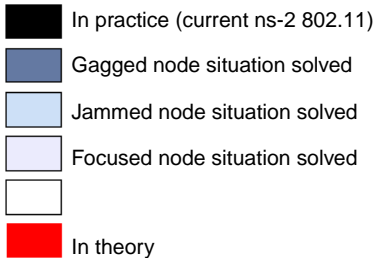
Backoff per node



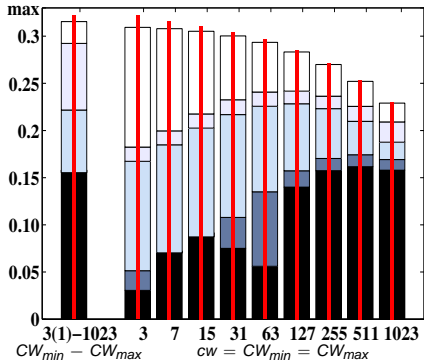
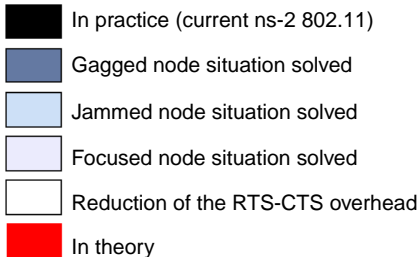
Backoff per link



Spatial reuse of 802.11 without focused nodes



Asymptotic reduction of the RTS-CTS overhead



Conclusion

- A local backoff mechanism can be used to fully organize the transmissions in a network
- The level of organization depends on ρ the ratio between the average exchange time and the average backoff time
- One can choose the spatial-reuse/fairness trade-off by operating at the appropriate value of ρ
- In practice, the gagged, jammed, and focused node situations prevent the 802.11 protocol from operating the limits set by its physical layer

